

Ocular studies of EMF exposure at the MMW

: Numerical dosimetry and mathematical model
to estimate cornea damage

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: Numerical dosimetry and mathematical model

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Pre Conference Workshop

EMF exposure from 5G equipment

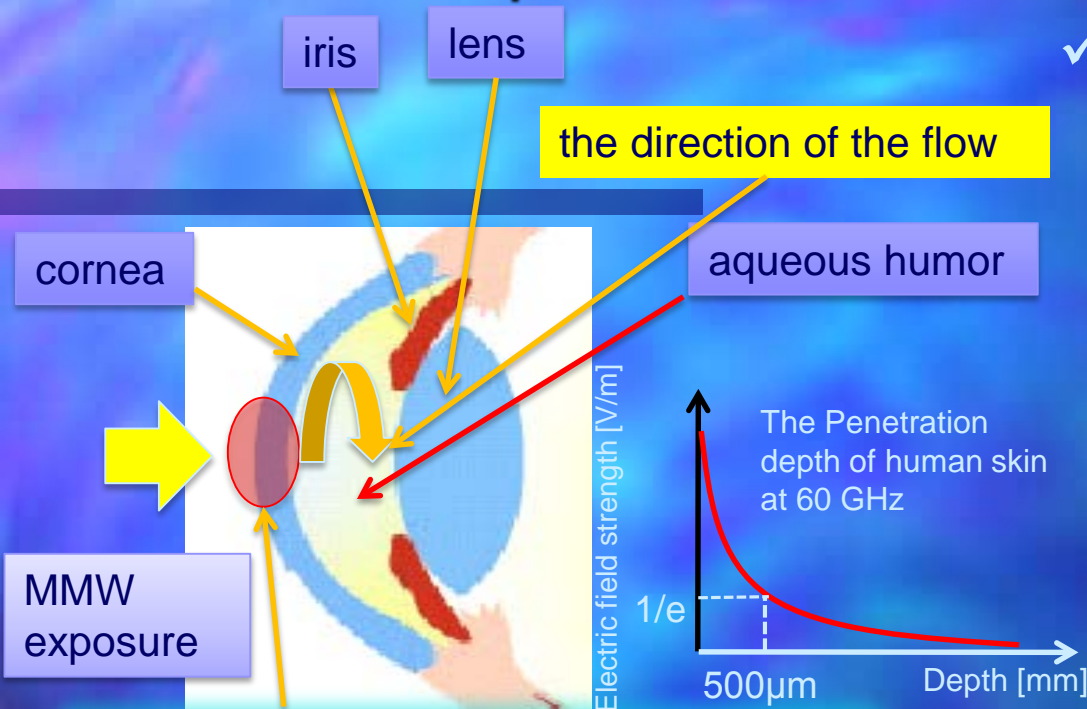
EMF exposure from 5G equipment

Pre Conference Workshop

purpose

- ❑ To evaluate power absorption and temperature elevation for ocular tissue (especially cornea) due to MMW exposure, numerical dosimetry and heat transport analysis were performed.
- ❑ In addition, to predict cornea epithelium damage, mathematical model based on CEM43°C criteria was examined for 28, 40, 75, and 95GHz exposure, these include 5G frequency condition.

Heat transport mechanism for MMW exposure



- ✓ The power absorption and the temperature elevation is highly localized within several hundred μm depth from the surface of the cornea.



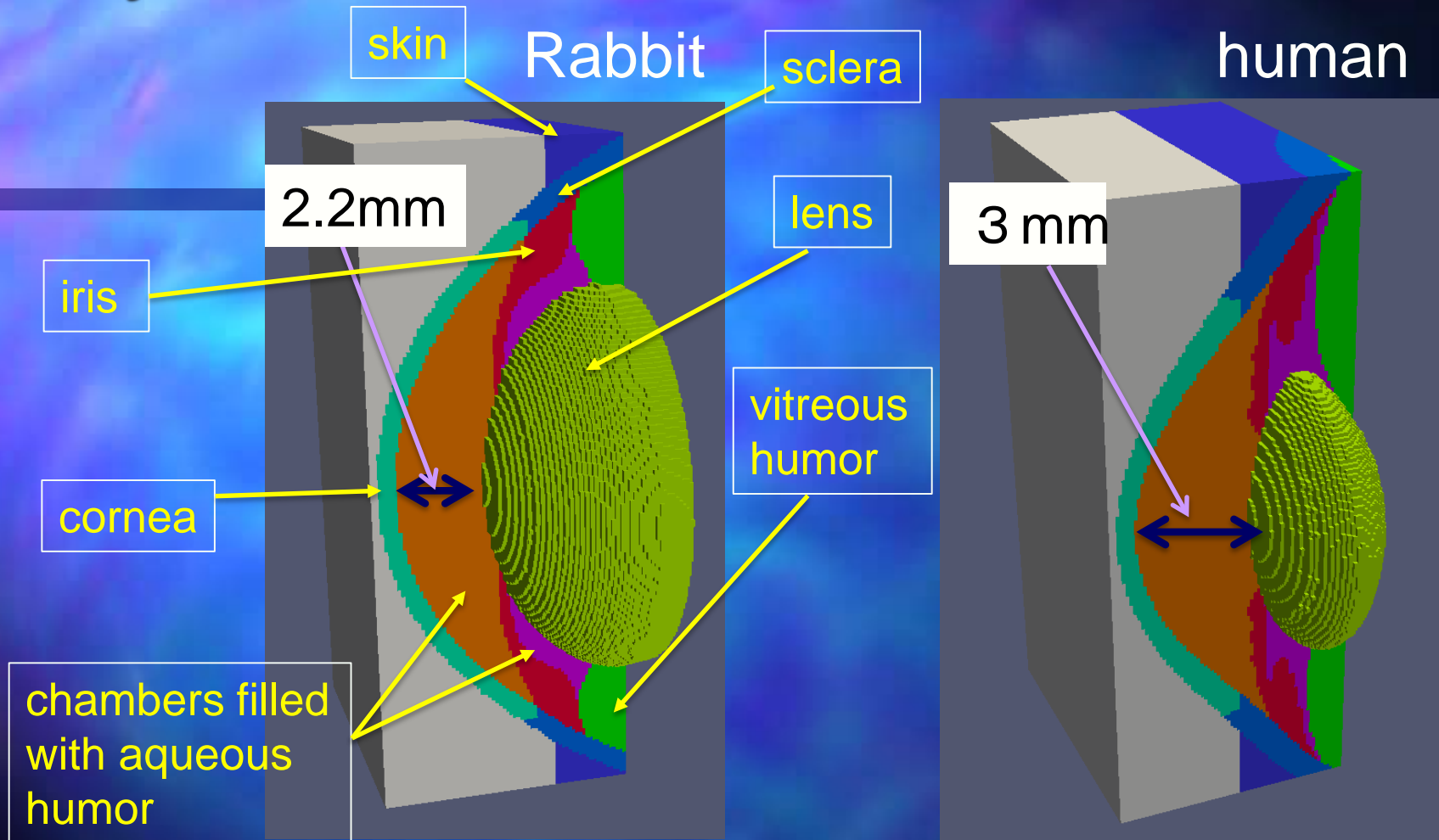
- ✓ Heat transport become complex in anterior chamber because of the existence of the aqueous humor.

Energy absorption is occurred .

heating transportation pattern { conduction
convection

- ✓ Temperature elevation of cornea surface is nonlinear to the input level of incident power density (PD).

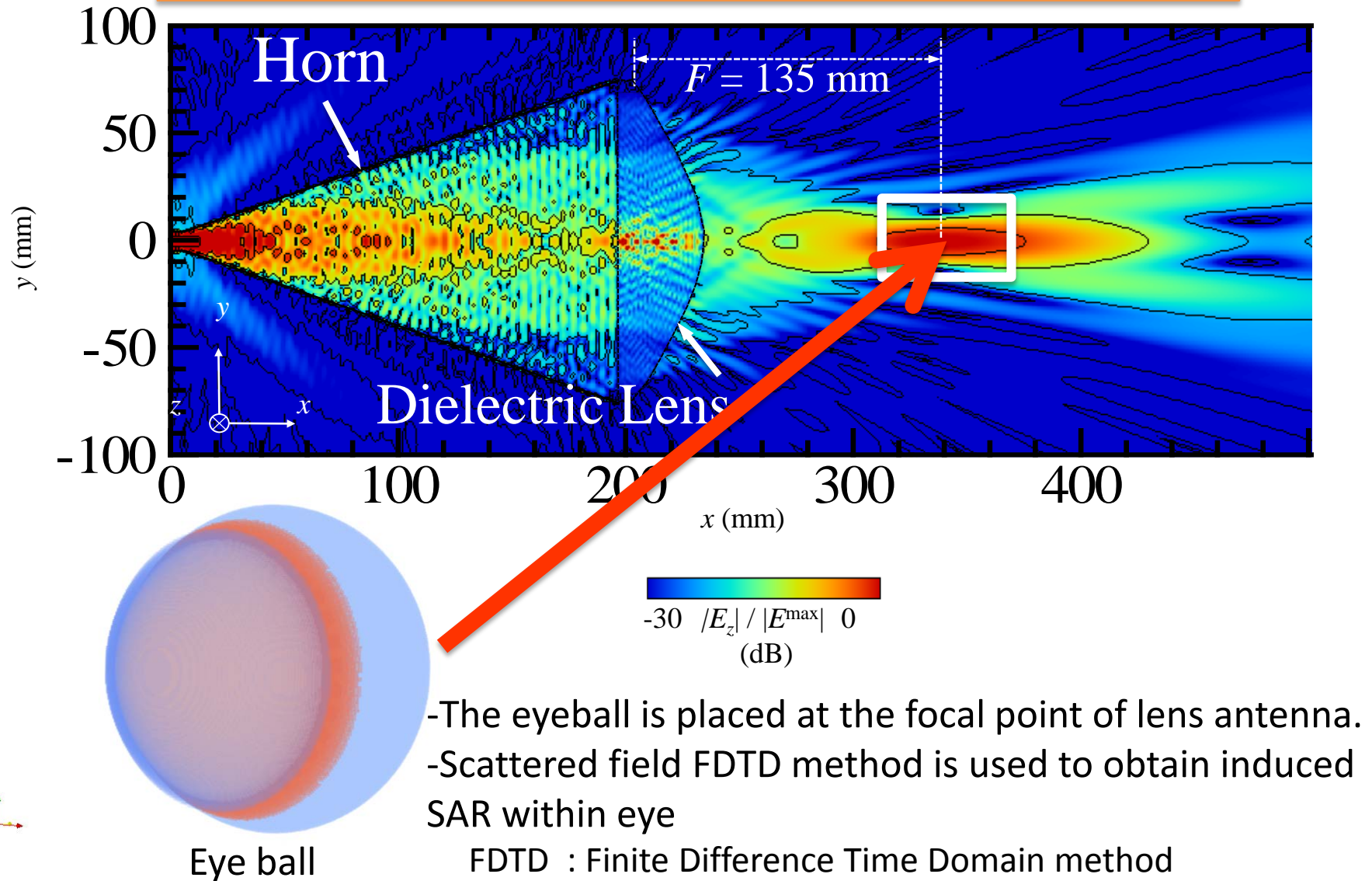
Eye models of rabbit and human



- ✓ These models are anatomically reviewed.
- ✓ Prepared 12.5, 25, and 50 μ m mesh sizes .
- ✓ Consists of 7 tissues, cornea, aqueous humor, iris, lens, vitreous humor, sclera, and skin.

Simulation setup for EMF analysis

FDTD method was used to obtain induced EMF in the eye ball.

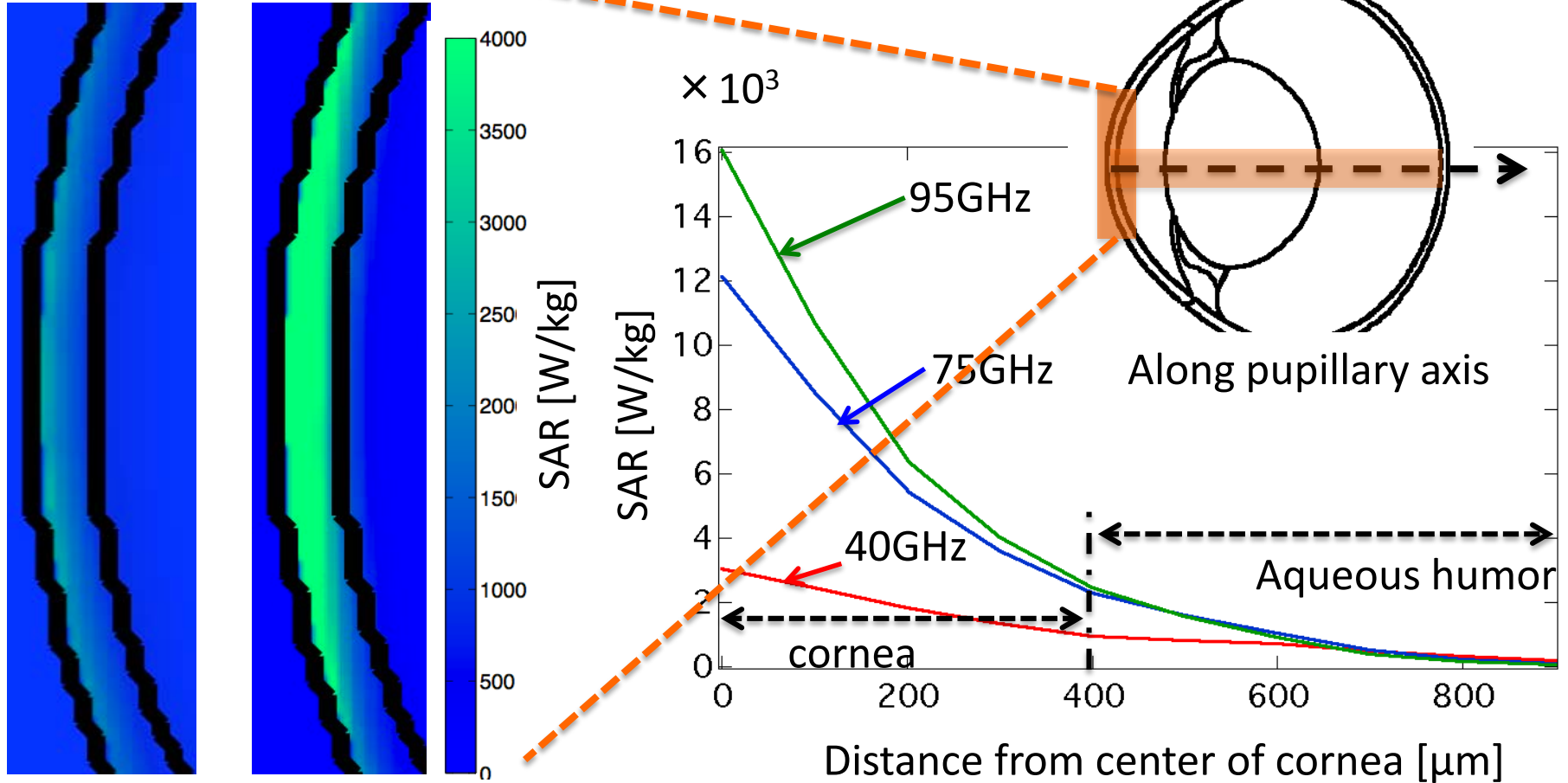


SAR distribution for each frequency

※Power density
100mW/cm²

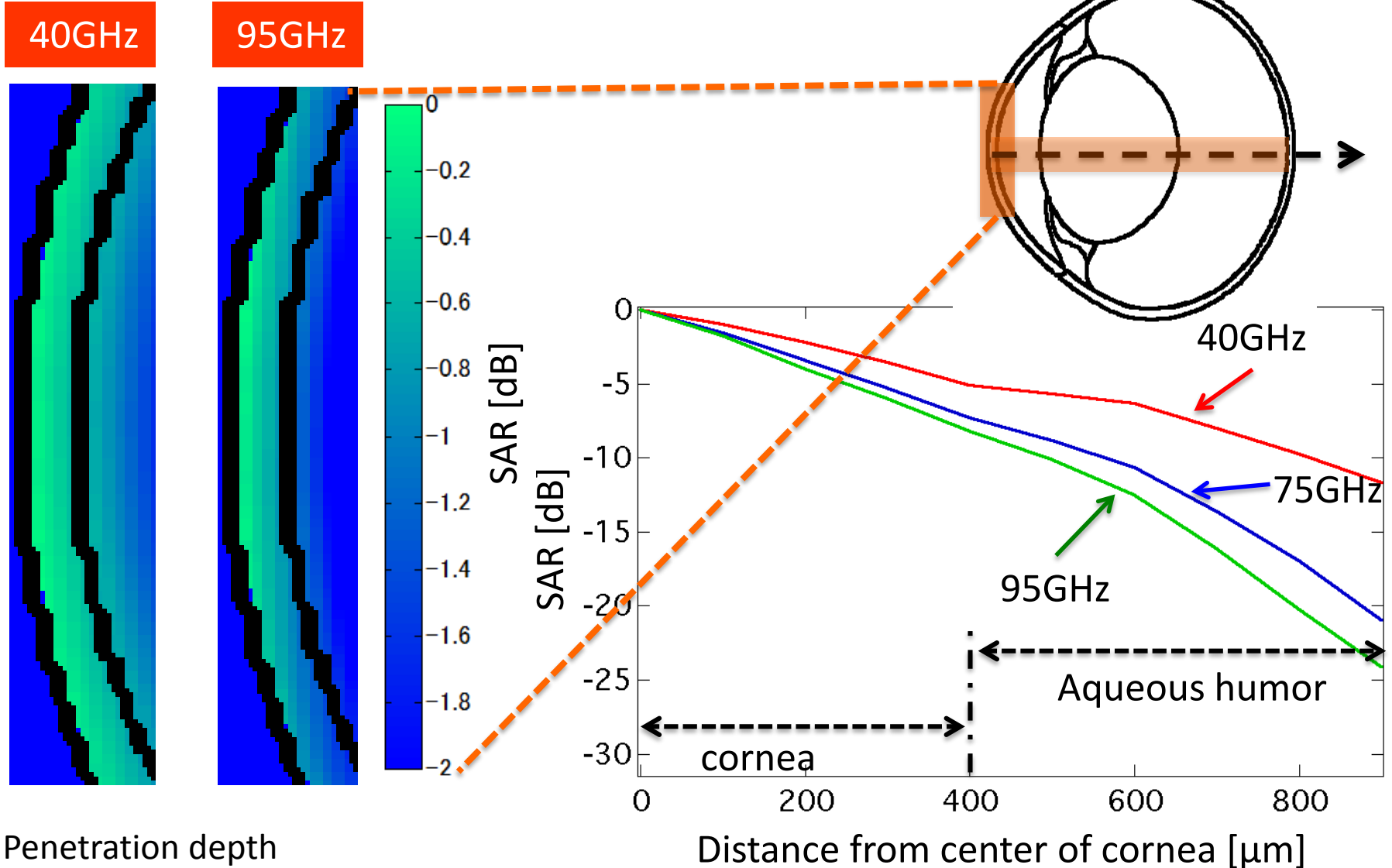
40GHz

95GHz



-SAR value becomes large according to the increase of frequency.

Comparison of penetration depth



Penetration depth
40GHz:500 μm , 75GHz:350 μm , 95GHz:250 μm

Equations for heat transport simulation

- Non-compressive fluid
- Boussinesq approximation
- SMAC (Simplified marker and cell) method is used

Continuity equation

$$\nabla \cdot \vec{V} = 0$$

Navier-stokes equation

$$\frac{\partial \vec{V}}{\partial t} + (\vec{V} \cdot \nabla) \vec{V} = -\frac{1}{\rho} \nabla p + \nu \Delta \vec{V} + \vec{g}$$

Biological heat transport equation

$$\rho C_p \left(\frac{\partial T}{\partial t} + (\vec{V} \cdot \nabla) T \right) = \nabla \cdot (K \nabla T) + A_0 - B(T - T_{\text{blood}}) + Q$$

Calculation of pressure

$$\Delta p' = \frac{\rho}{dt} \nabla \vec{V}^*$$

Convective energy transport term

$$Q = \rho SAR$$

$$SAR = \frac{\sigma E^2}{\rho}$$

Physical constants

- density: ρ [kg/m³]
- coefficient of kinematic viscosity: ν
- specific heat : C_p [J/kg · K]
- heat conduction coefficient : K [W/m · K]
- metabolic heat : A_0 [W/m³]
- Coefficient of blood flow : B [W/m³ · K]
- heat source : Q [W/m³]
- gravity : g [m/s²]

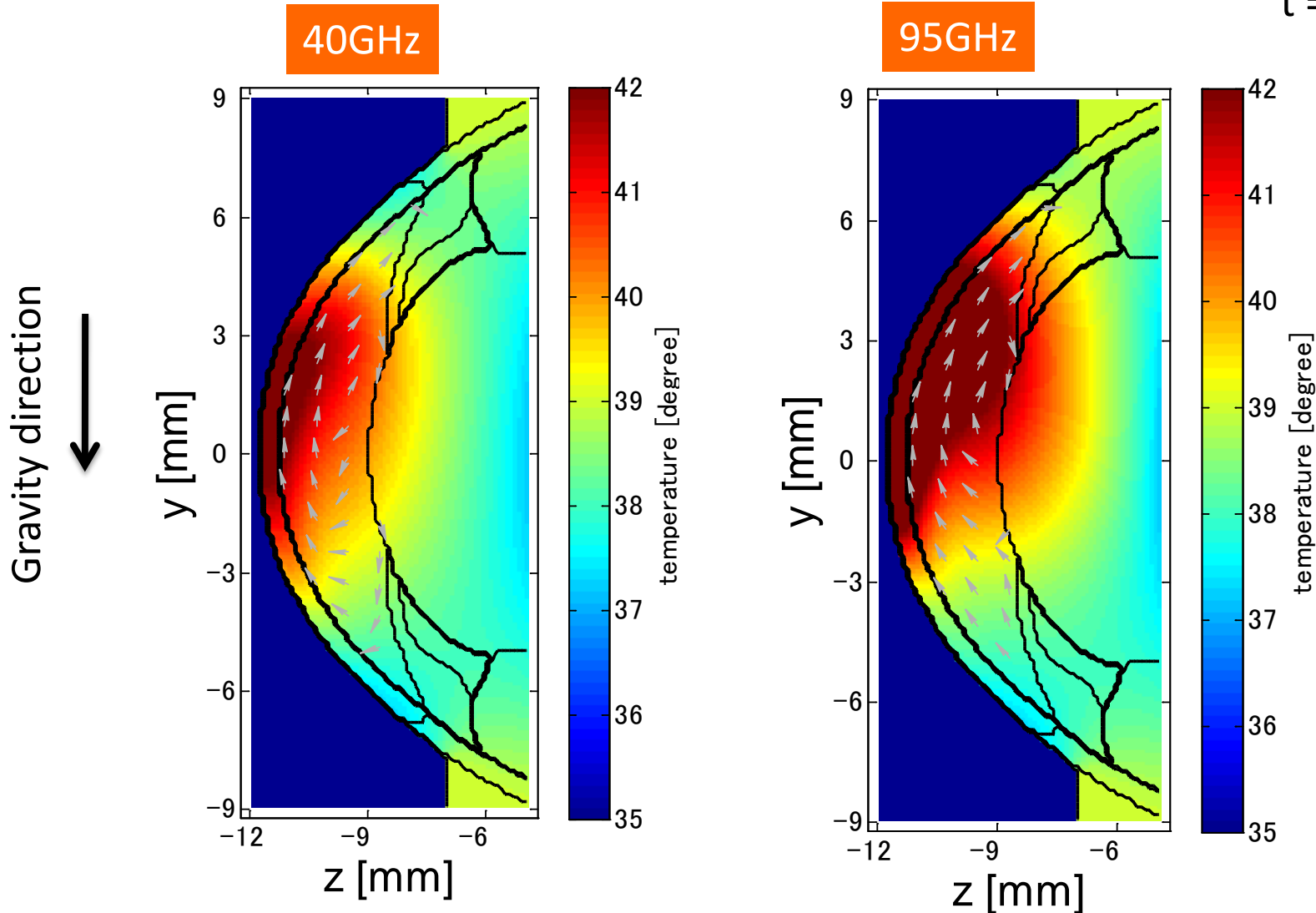
Variables

- velocity : V [m/s]
- temperature: T [°C]
- pressure: p [kg/m²]

Dependence of T and V on the frequency

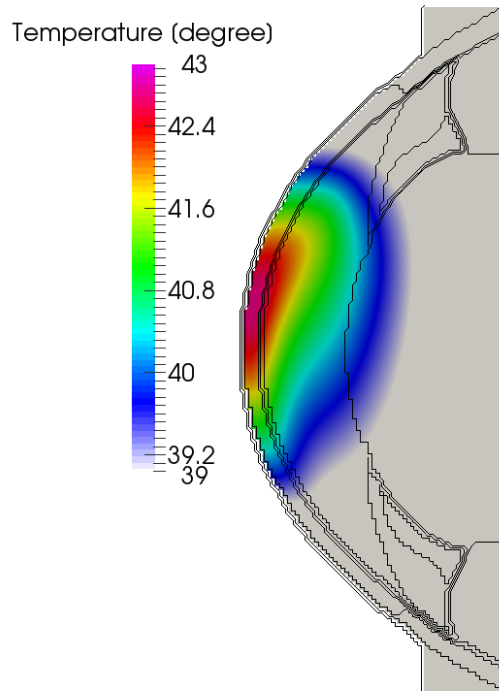
200mW/cm² 40GHz, 95GHz

t = 360s



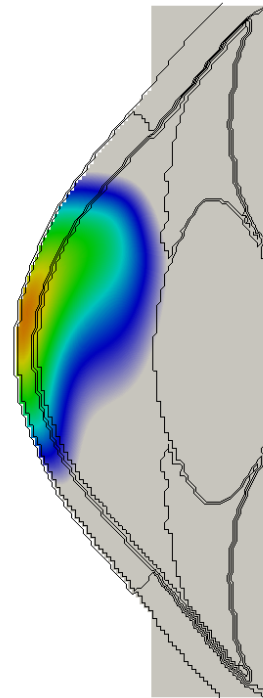
Comparison of temperature distribution between rabbit and human 40GHz@200mW/cm²

Rabbit

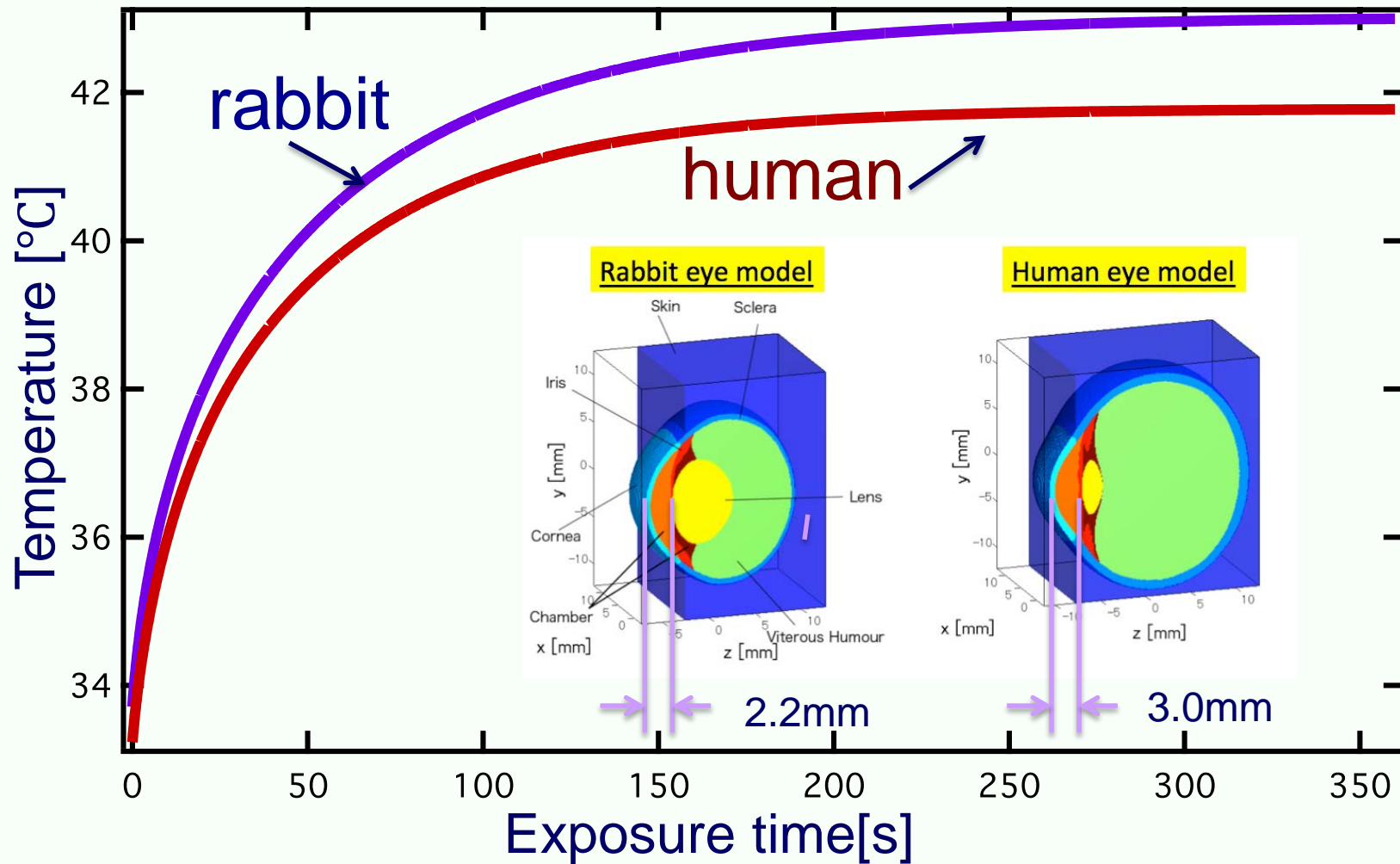


Time: 360 (s)

Human



Comparison of time course temperature elevation between rabbit and human(40GHz@200mW/cm²)



Human eye is superior in the heat transport ability, because of its deeper anterior chamber depth.

Quantification of thermal dose

- The method to determine the thermal dose has been proposed for cancer therapy from 1984.[1-3]
 - This method is termed “thermal isoeffective dose”
 - Recently this method is considered to apply to estimating threshold caused by thermal effect of MRI equipment.[4]
- The time–temperature data are converted to an equivalent number of minutes at 43°C temperature exposure
 - 43°C is the near the break point for CHO and several other cell lines.

[1]Sapareto SA, Dewey WC. Thermal dose determination in cancer therapy. Int J Radiat Oncol Biol Phys 1984; 10: 787–800.

[2]Dewhirst MW, Viglianti BL, Lora-Michiels M, Hanson M, Hoopes PJ. Basic principles of thermal dosimetry and thermal thresholds for tissue damage from hyperthermia. Int J Hyperthermia. 2003; 19:267–294.

[3] Yarmolenko PS, Moon EJ, Landon C, Manzoor A, Hochman DW, Viglianti BL, Dewhirst MW, "Thresholds for thermal damage to normal tissues: an update", Int J Hyperthermia. 2011;27(4):320-43.

[4] van Rhoon GC1, Samaras T, Yarmolenko PS, Dewhirst MW, Neufeld E, Kuster N, "CEM43°C thermal dose thresholds: a potential guide for magnetic resonance radiofrequency exposure levels?", Eur Radiol. 2013 Aug;23(8):2215-27

CEM43°C criteria

- Index of thermal isoeffective dose originally defined as follows.

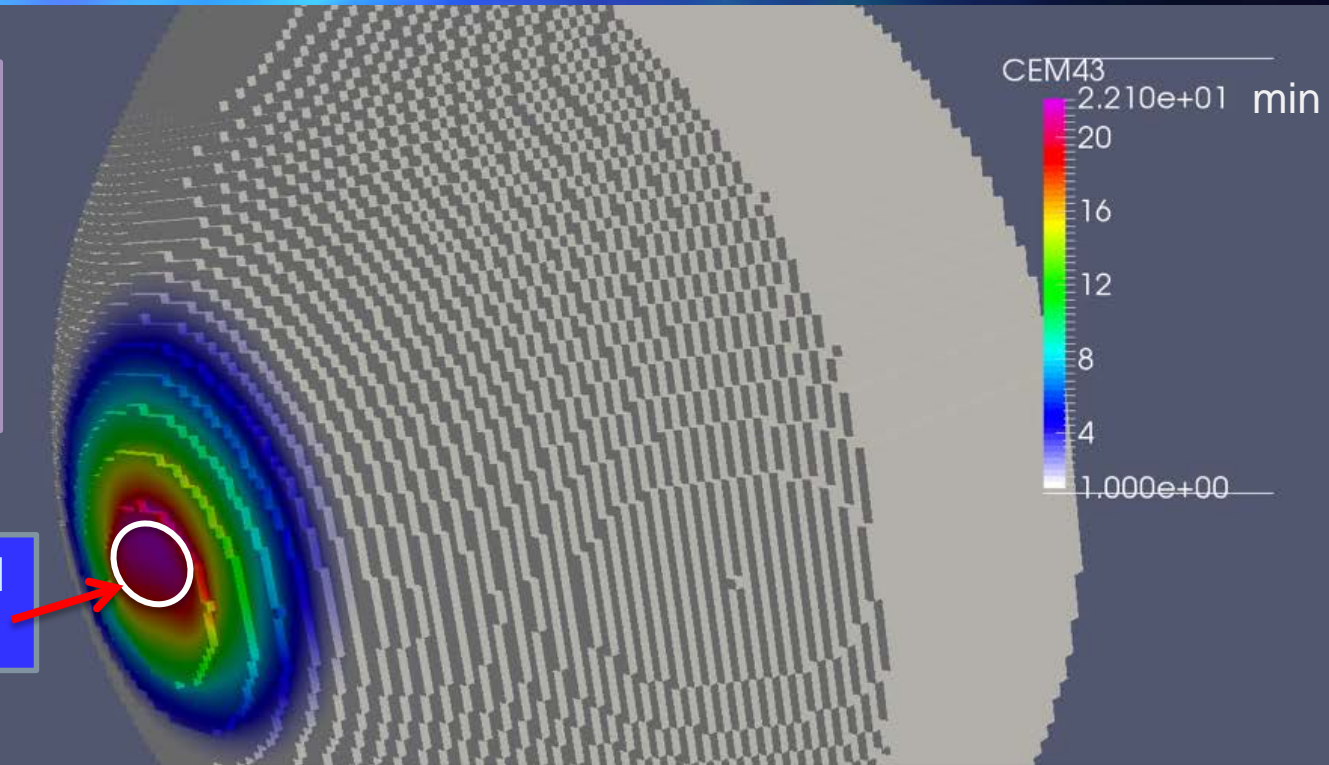
$$CEM43^{\circ}C = tR^{(43-T)}$$

- CEM 43°C: cumulative number of equivalent minutes at 43°C
 - t: time interval (min)
 - T: average temperature during time interval t.
 - R: the number of minutes needed to compensate for a 1° temperature change either above or below the breakpoint.
- As for cornea, thermal exposure causes
 - $21 < CEM43^{\circ}C < 40$ min: **Acute and minor** damage
 - $41 < CEM43^{\circ}C < 22000$ min: **Acute and significant** damage
 - $22000 < CEM43^{\circ}C$: **Severe** damage.

CEM43°C distribution at 6min (75GHz 150mW/cm²)

-CEM43°C distribution
on the cornea surface.
-Exposure condition is
75GHz, 150mW/cm².
-An example of 6min
exposure.

CEM43°C is more than 21
minutes inside the circle



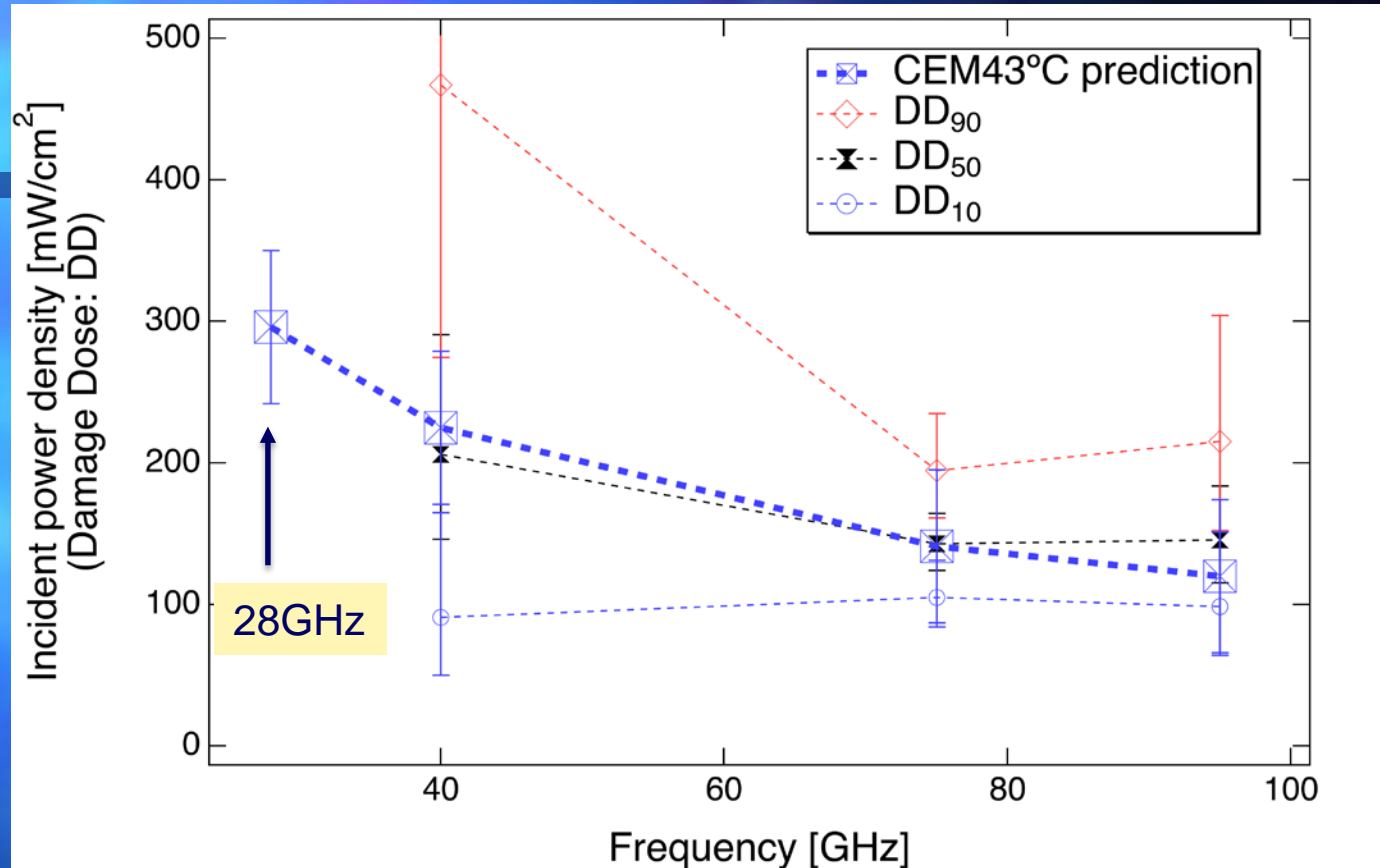
-21 < CEM43°C < 40 min: **Acute and minor** damage
-41 < CEM43°C < 22000 min: **Acute and significant** damage
-22000 < CEM43°C : **Severe** damage.

Cornea damage is predicted inside the circle by CEM43°C analysis.



Prediction of PD threshold level for 6 min. exposure

Freq. [Hz]	PD threshold [mW/cm ²]
28	296
40	225
75	141
95	120



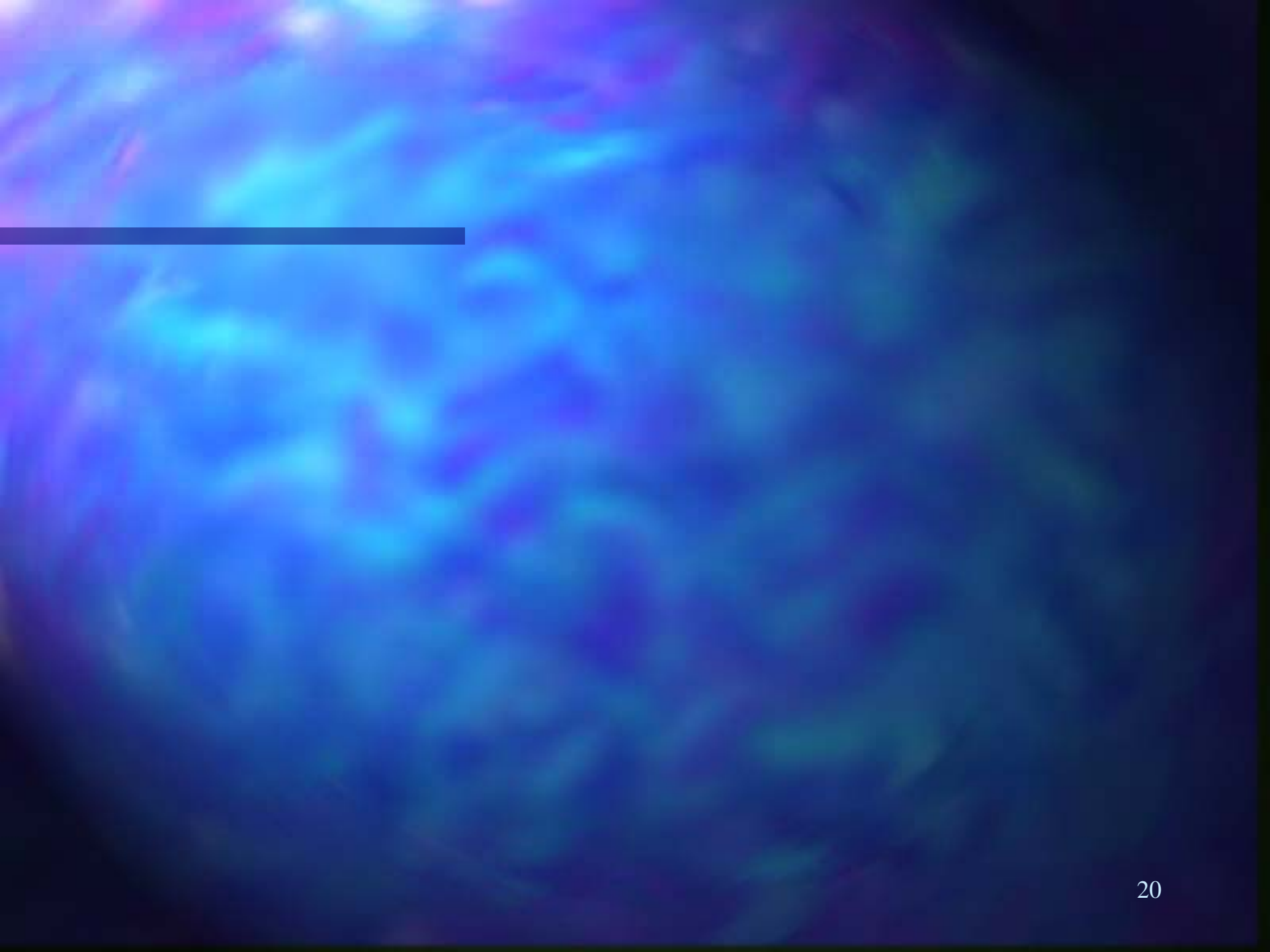
- ✓ Predicted PD threshold level based on CEM43°C criteria agree with DD₅₀ estimated by experiments.
- ✓ PD threshold level for 28GHz exposure will be larger value than that for high frequency.

Summary

- Characteristics of temperature elevation distribution are different between different frequency, and between rabbit and human.
 - Results of rabbit indicate higher temperature elevation than that of human.
- Threshold level of power density become higher (relaxed) based on the CEM43°C analysis, according to the decrease of frequency.

Thank you for your kind
attention !

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The multi-physics simulation system for ocular exposure to MMW

The system consists of 3 parts:

Reconstruction of incident EMF

2D electromagnetic field due to lens antenna is measured

Method : PWS (Plane Wave Spectrum) method

3D incident electromagnetic field is reconstructed

EMF analysis

3D electromagnetic field + eye model

Method :

3D scattered-field FDTD (Finite Difference Time Domain) method
+ rabbit eye model

induced electromagnetic field in the rabbit eye → SAR

Heat Transport analysis

SAR (Specific Absorption Rate)

Heat Transportation

Heat Convection
Heat Conduction

Method : SMAC (Simplified marker and cell) method

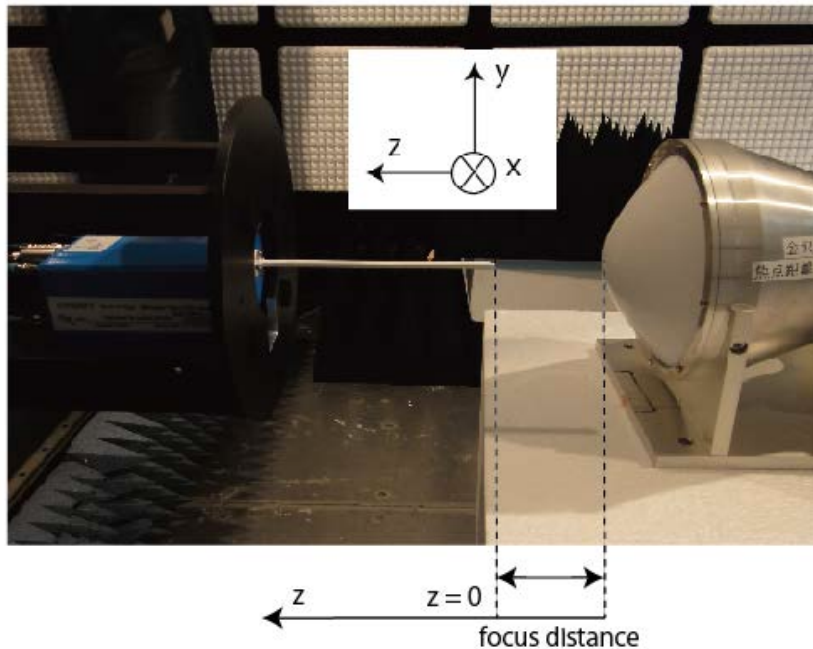
→ Temperature and flow velocity + (pressure)

The reconstruction of 3D EMF (ElectroMagnetic Field)

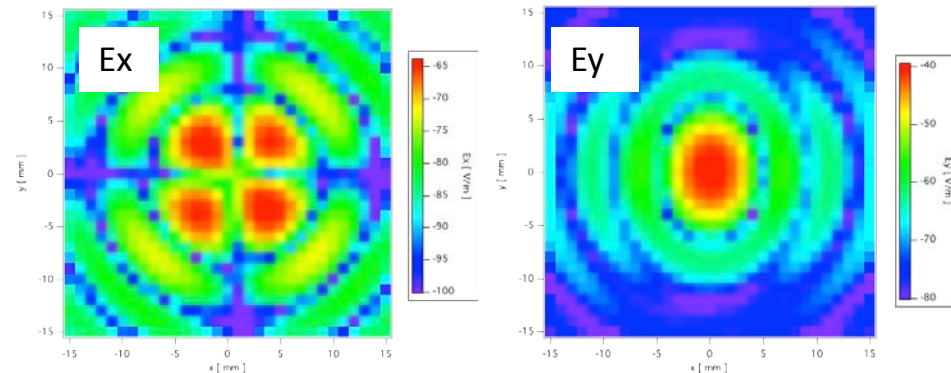
- 2D EMF was measured against the lens antenna for the reconstruction of the incident field.^[4]

The experimental condition

Frequency	75.4 [GHz]
The mesh size	1.0 [mm]
Measurement area (focus)	3×3 [cm ²]
Focus distance	150 [mm]



EF measured at the focus (x-y dimension)



- The waveguide is used for the measurement.
- The electric field (Ex and Ey distribution) was measured at the focal point with the lens antenna fixed by the $z < 0$ side.

The Method of reconstruction of 3D electric field : PWS

- Measured 2D electric field is converted by Fourier transform under the assumption.
- The incident wave is plane wave to obtain the electric field in the wave number space.
- 3D electric field is reconstructed by the inverse Fourier transform.

Fourier transform

$$\tilde{E}_x(k_x, k_y) = \iint E_x(x, y, 0) e^{j(k_x x + k_y y)} dx dy$$

$$\tilde{E}_y(k_x, k_y) = \iint E_y(x, y, 0) e^{j(k_x x + k_y y)} dx dy$$



inverse Fourier transformation

$$E_x(x, y, z) = \frac{1}{(2\pi)} \iint \tilde{E}_x(k_x, k_y) e^{-j(k_x x + k_y y + k_{0z} z)} dk_x dk_y$$

$$E_y(x, y, z) = \frac{1}{(2\pi)} \iint \tilde{E}_y(k_x, k_y) e^{-j(k_x x + k_y y + k_{0z} z)} dk_x dk_y$$

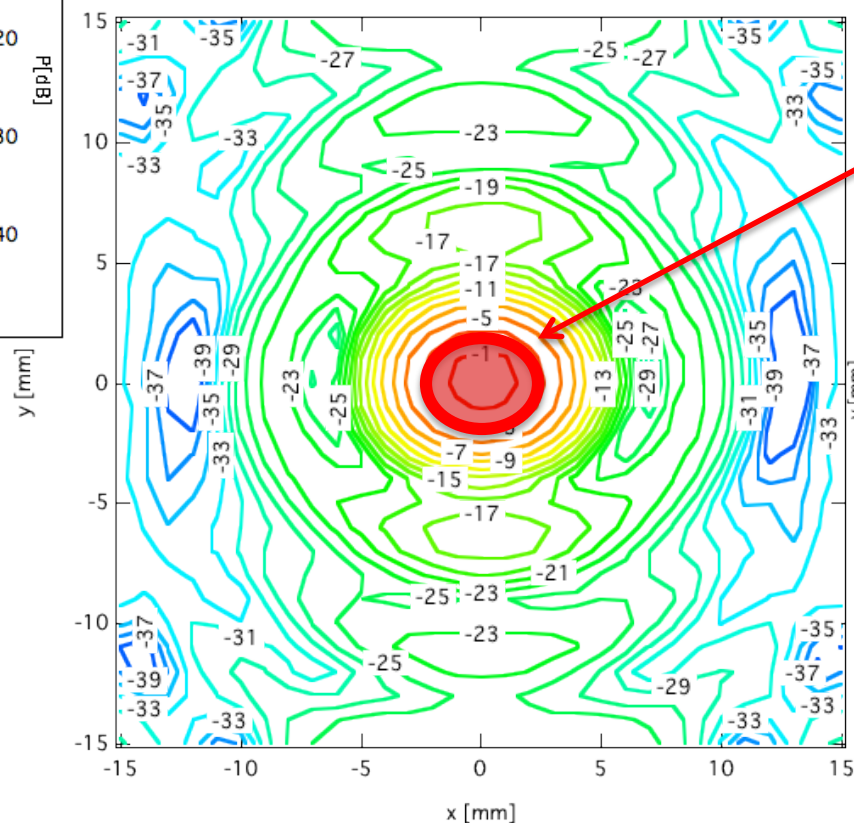
$$E_z(x, y, z) = \frac{1}{(2\pi)} \iint \left\{ \left(\hat{x} - \frac{k_x}{k_{0z}} \right) \tilde{E}_x + \left(\hat{y} - \frac{k_y}{k_{0z}} \right) \tilde{E}_y \right\} e^{-j(k_x x + k_y y + k_{0z} z)} dk_x dk_y$$

However $k_{z0} = \sqrt{k_0^2 - k_x^2 - k_y^2}$

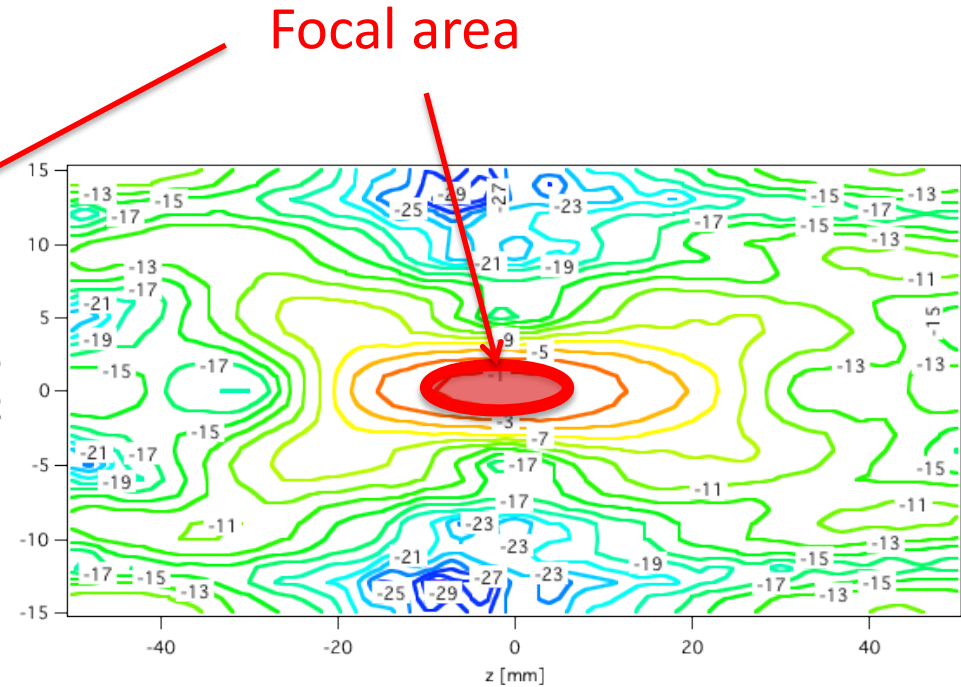
The condition of calculation for PWS

The number of meshes	500 × 500 × 500 [cells]
Size of mesh	50 [μm]
The reconstructed area	25 × 25 × 25 [mm ³]

The result of reconstructed 3D electric field



Incident power density (x - y dimension) at the focus



Incident power density (y - z dimension) at $x = 0$

- We can reconstruct realistic incident electric field.
- It is normalized by the maximum value of electric field.
- It is found that lens antenna generates highly localized electric field.